

5th set of assignments Financial Econometrics- solutions

5.1 using avewret

System: CAPM

Estimation Method: Generalized Method of Moments

Date: 06/21/05 Time: 17:11

Sample: 1947:2 1993:4

Included observations: 187

Total system (balanced) observations 1870

Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening

Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(1)	1.067309	0.056669	18.83400	0.0000
C(2)	-3.211099	1.694037	-1.895531	0.0582
Determinant residual covariance		9.79E-35		
J-statistic		0.011896		

J-Statistics: (for calculation: see assignment sheet)

jval = 2.2245

pval = 0.9733

5.1 using avvwret

System: CAPM2

Estimation Method: Generalized Method of Moments

Date: 06/21/05 Time: 17:29

Sample: 1947:2 1993:4

Included observations: 187

Total system (balanced) observations 1870

Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening

Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(1)	1.132061	0.088452	12.79854	0.0000
C(2)	-6.997747	3.561610	-1.964771	0.0496
Determinant residual covariance		1.38E-33		
J-statistic		0.010975		

J-Statistics:

jval2 = 2.0523

pval2 = 0.9794

5.2 using avewret

System: CAPM_EX
Estimation Method: Generalized Method of Moments
Date: 06/21/05 Time: 17:33
Sample: 1947:2 1993:4
Included observations: 187
Total system (balanced) observations 1870
Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening
Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(2)	-3.635131	0.800801	-4.539369	0.0000
Determinant residual covariance		2.03E-36		
J-statistic		0.013363		

J-Statistics:

jval_ex = 2.4988
pval_ex = 0.9809

5.2 using avvwret

System: CAPM_EX2
Estimation Method: Generalized Method of Moments
Date: 06/21/05 Time: 17:34
Sample: 1947:2 1993:4
Included observations: 187
Total system (balanced) observations 1870
Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening
Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(2)	-4.924601	1.082375	-4.549809	0.0000
Determinant residual covariance		2.49E-36		
J-statistic		0.013145		

J-Statistics:

jval_ex2 = 2.4581
pval_ex2 = 0.9820

5.3 using avewret

System: FAMA_FRENCH

Estimation Method: Generalized Method of Moments

Date: 06/21/05 Time: 17:53

Sample: 1947:2 1993:4

Included observations: 187

Total system (balanced) observations 1870

Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening

Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(1)	0.631875	0.357282	1.768560	0.0771
C(2)	-0.257423	0.393292	-0.654534	0.5128
C(3)	-0.853027	0.416109	-2.050007	0.0405

Determinant residual covariance 4.57E-64

J-statistic 0.017830

J-Statistics:

jval_fafr = 3.3343

pval_fafr = 0.8525

Wald Test:

System: FAMA_FRENCH

Test Statistic	Value	df	Probability
Chi-square	9.944229	2	0.0069

5.3 using avvwret

System: FAMA_FRENCH2

Estimation Method: Generalized Method of Moments

Date: 06/21/05 Time: 17:53

Sample: 1947:2 1993:4

Included observations: 187

Total system (balanced) observations 1870

Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening

Identity weighting matrix - 2SLS coefficients with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(1)	-0.542606	0.493584	-1.099319	0.2718
C(2)	-0.776924	0.448708	-1.731467	0.0835
C(3)	-0.101936	0.447192	-0.227947	0.8197

Determinant residual covariance 3.05E-60

J-statistic 0.012763

J-Statistics:

jval_fafr2 = 2.3868

pval_fafr2 = 0.9354

Wald Test:

System: FAMA_FRENCH2

Test Statistic	Value	df	Probability
Chi-square	1855.244	3	0.0000

6th set of assignments Financial Econometrics – solutions

pooled time series regression using avvwret

- Sample(adjusted)! 1947:2-1993:4
- *series factor1b = avvwret-avustret*
series factor2 = hml_r-1
series factor3 = smb_r-1
- Objects -> new objects -> pool: pooled time series regression
Dependent variable: decile?-avustret
Cross section specific coefficients: c factor1b factor2 factor3
No intercept, no weighting -> estimate
Make residuals
matrix varcovres6b = @cov(residuals6b)
- group factors: factors6b
- *matrix varcovfactor6b = @cov(factors6b)*
- create mean vector:
vector(3) meanfac6b
meanfac6b.fill @mean(factor1b), @mean(factor2), @mean(factor3)

0.018130

0.002613

-0.005883

- GRS statistic:

alpha: see assignment sheet

one: see assignment sheet

matrix grsb =

t@inverse(one+(@transpose(meanfac6b)*@inverse(varcovfactor6b)*meanfac6b))**

@transpose(alpha6b)@inverse(varcovres6b)*alpha6b*

GRS- Statistic: 10.545

- p-value :
matrix pavelgrs6b = one- @cchisq(grsb, 10)
p-value = 0.394

7th set of assignments Financial Econometrics – solutions

1. Alternative1:

Construct a system as in assignment sheet 5:

System: ALTERNATIVE1

Estimation Method: Generalized Method of Moments

Date: 06/23/05 Time: 14:08

Sample: 1947:2 1993:4

Included observations: 187

Total system (balanced) observations 1870

Kernel: Bartlett, Bandwidth: Fixed (4), No prewhitening

2SLS coefficient estimates with GMM standard errors

	Coefficient	Std. Error	t-Statistic	Prob.
C(2)	-0.990917	0.001132	-875.1660	0.0000
Determinant residual covariance		9.26E-79		
J-statistic		0.052227		

2. Alternative 2:

- Sample(adjusted): 1947:2 1993:4
- Objects -> new objects -> pool: pooled time series regression: assets
Dependent variable: decile?-avustret
Cross section specific coefficients: c cnsqdifferentz
No intercept, no weighting -> estimate
Make residuals
matrix varcovres = @cov(residuals)

vector beta = @subextract(assets. @coefs, 11, 1, 20, 1)

4.966555
4.464380
4.248438
3.798502
3.517813
3.172752
3.038945
2.826603
2.220660
2.231426
- *vector(10) avreturn*
avreturn.fill @mean(decile1-avustret), @mean(decile2-avustret), @mean(decile3-avustret), @mean(decile4-avustret), @mean(decile5-avustret), @mean(decile6-avustret), @mean(decile7-avustret), @mean(decile8-avustret), @mean(decile9-avustret), @mean(decile10-avustret)

- compute lambda
 $matrix\ lambda = @inverse(@transpose(beta)*beta)*@transpose(beta)*avreturn$
 $lambda = 0.006450$

- compute alpha
 $matrix\ alpha = avreturn - beta*lambda$

- Separate the computation of the variance-covariance matrix of alpha:
 First part:

```

scalar t = @regobs
matrix firstalpha = 1/t*(ones-
beta*@inverse(@transpose(beta)*beta)*@transpose(beta))*varcovres*(ones-
beta*@inverse(@transpose(beta)*beta)*@transpose(beta))

```

Second part:

```

matrix varfactor = @var(cnsqdifferentz)
matrix lastalpha = (one+ @transpose(lambda)*@inverse(varfactor)*lambda)
create a scalar lastalpha3 from matrix lastalpha:
scalar lastalpha3 = 2.34757952912

```

compute the symmetric variance-covariance matrix of alpha by multiplying both parts:
 $sym\ varcovalpha = lastalpha3*firstalpha$

since the variance-covariance matrix of alpha is not invertable: compute the pseudo-inverse for the test statistic

```

scalar rang = @rank(varcovalpha)
matrix v
vector w
matrix u=@svd(varcovalpha,w,v)
matrix w1=@makediagonal(w)
matrix w2=@subextract(w1,1,1,rang,rang)
matrix v2=@subextract(@transpose(v),1,1,rang,10)
matrix u2=@subextract(@transpose(u),1,1,rang,10)

```

```

matrix pseudoinvcovalph=@transpose(v2)*@inverse(@transpose(w2)*w2)*
@transpose(w2)*u2

```

- compute the test statistic
 $matrix\ statistic7=@transpose(alpha)*pseudoinvcovalph*alpha$
 $test\ statistic = 6.964663$
 $p\text{-value} = 0.640799$

3. Alternative3: (Does not work with Eviews)

Construct a system as follows:

(decile1-avustret)-c(1)-c(2)*cnsqdiffereanz=0
((decile1-avustret)-c(1)-c(2)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile2-avustret)-c(3)-c(4)*cnsqdiffereanz=0
((decile2-avustret)-c(3)-c(4)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile3-avustret)-c(5)-c(6)*cnsqdiffereanz=0
((decile3-avustret)-c(5)-c(6)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile4-avustret)-c(7)-c(8)*cnsqdiffereanz=0
((decile4-avustret)-c(7)-c(8)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile5-avustret)-c(9)-c(10)*cnsqdiffereanz=0
((decile5-avustret)-c(9)-c(10)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile6-avustret)-c(11)-c(12)*cnsqdiffereanz=0
((decile6-avustret)-c(11)-c(12)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile7-avustret)-c(13)-c(14)*cnsqdiffereanz=0
((decile7-avustret)-c(13)-c(14)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile8-avustret)-c(15)-c(16)*cnsqdiffereanz=0
((decile8-avustret)-c(15)-c(16)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile9-avustret)-c(17)-c(18)*cnsqdiffereanz=0
((decile9-avustret)-c(17)-c(18)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile10-avustret)-c(19)-c(20)*cnsqdiffereanz=0
((decile10-avustret)-c(19)-c(20)*cnsqdiffereanz)*cnsqdiffereanz=0
(decile1-avustret)-c(2)*c(21)=0
(decile2-avustret)-c(4)*c(21)=0
(decile3-avustret)-c(6)*c(21)=0
(decile4-avustret)-c(8)*c(21)=0
(decile5-avustret)-c(10)*c(21)=0
(decile6-avustret)-c(12)*c(21)=0
(decile7-avustret)-c(14)*c(21)=0
(decile8-avustret)-c(16)*c(21)=0
(decile9-avustret)-c(18)*c(21)=0
(decile10-avustret)-c(20)*c(21)=0

param C(1) -4.960049 C(2) 4.966816 C(3) -4.459504 C(4) 4.464615 C(5) -4.243049
C(6) 4.248657 C(7) -3.791239 C(8) 3.798705 C(9) -3.511227 C(10) 3.518007
C(11) -3.163616 C(12) 3.172926 C(13) -3.030564 C(14) 3.039106 C(15)
-2.817843 C(16) 2.826760 C(17) -2.210248 C(18) 2.220781 C(19) -2.225134
C(20) 2.231552 c(21) 1

@inst c